

4. Attribute grammars and semantic analysis

Input: abstract program tree

Tasks:

name analysis

properties of program entities

type analysis, operator identification

Compiler module:

environment module

definition module

signature module

Output: attributed program tree

Standard implementations and generators for compiler modules

Operations of the compiler modules are called at nodes of the abstract program tree

Model: dependent computations in trees

Specification: attribute grammars

generated: a **tree walking algorithm** that calls functions of semantic modules **in specified contexts** and in an **admissible order**

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Objectives:

Tasks and methods of semantic analysis

In the lecture:

Explanation of the

- tasks,
- compiler modules,
- principle of dependent computations in trees.

Suggested reading:

Kastens / Übersetzerbau, Section Introduction of Ch. 5 and 6

4.1 Attribute grammars

Attribute grammar (AG): specifies **dependent computations in abstract program trees**;
declarative: explicitly specified dependences only; a suitable order of execution is computed

Computations solve the tasks of semantic analysis (and transformation)

Generator produces a **plan for tree walks**

that execute calls of the computations,
 such that the specified dependences are obeyed,
 computed values are propagated through the tree

Result: attribute evaluator; applicable for any tree specified by the AG

Example: AG specifies size of declarations

RULE: **Decls ::= Decls Decl COMPUTE**

Decls[1].size =
Add (Decls[2].size, Decl.size);

END;

RULE: **Decls ::= Decl COMPUTE**

Decls.size = Decl.size;

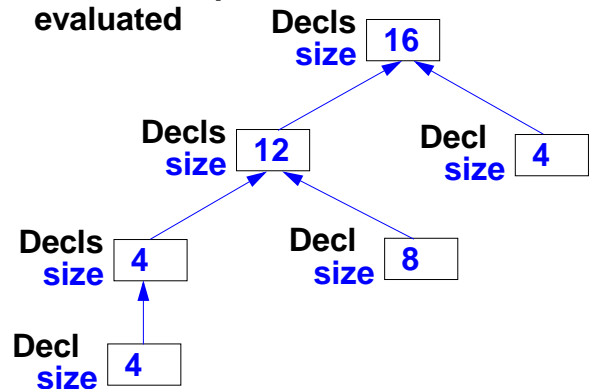
END;

RULE: **Decl ::= Type Name COMPUTE**

Decl.size = Type.size;

END;

tree with dependent attributes evaluated



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Objectives:

Get an informal idea of attribute grammars

In the lecture:

Explain computations in tree contexts using the example

Suggested reading:

Kastens / Übersetzerbau, Section 5, 5.1

Questions:

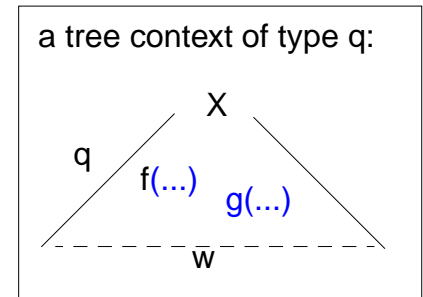
Why is it useful NOT to specify an evaluation order explicitly?

Basic concepts of attribute grammars (1)

An AG specifies **computations in trees** expressed by **computations associated to productions** of the abstract syntax

```
RULE q: X ::= w COMPUTE
    f(...); g(...);
END;
```

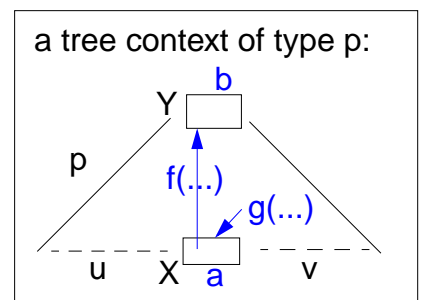
computations $f(\dots)$ and $g(\dots)$ are executed in every tree context of type q



An AG specifies **dependences between computations**: expressed by **attributes associated to grammar symbols**

```
RULE p: Y ::= u X v COMPUTE
    Y.b = f(X.a);
    X.a = g(...);
END;
```

Attributes represent: **properties of symbols** and **pre- and post-conditions of computations**:
post-condition = f (pre-condition)
 $f(X.a)$ uses the result of $g(\dots)$; hence
 $X.a = g(\dots)$ is specified to be executed before $f(X.a)$



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Objectives:

Get a basic understanding of AGs

In the lecture:

Explain

- the AG notation,
- dependent computations

Suggested reading:

Kastens / Übersetzerbau, Section 5, 5.1

Assignments:

- Read and modify examples in Lido notation to introduce AGs

Basic concepts of attribute grammars (2)

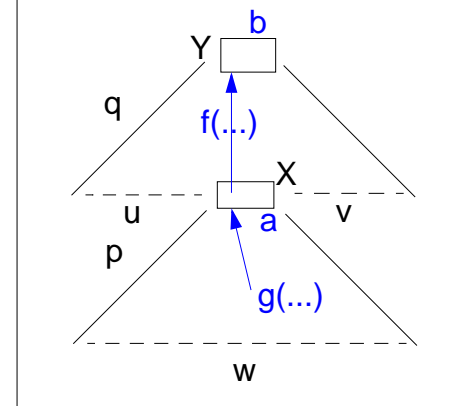
dependent computations in adjacent contexts:

```

RULE q: Y ::= u X v COMPUTE
    Y.b = f(X.a);
END;
RULE p: X ::= w COMPUTE
    X.a = g(...);
END;

```

adjacent contexts
of types q and p:



attributes may specify
dependences without propagating any value;
specifies the order of effects of computations:

```

X.GotType = ResetTypeOf(...);
Y.Type = GetTypeOf(...) <- X.GotType;
ResetTypeOf will be called before GetTypeOf

```

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Objectives:

Get a basic understanding of AGs

In the lecture:

Explain

- dependent computations in adjacent contexts in trees

Suggested reading:

Kastens / Übersetzerbau, Section 5, 5.1

Assignments:

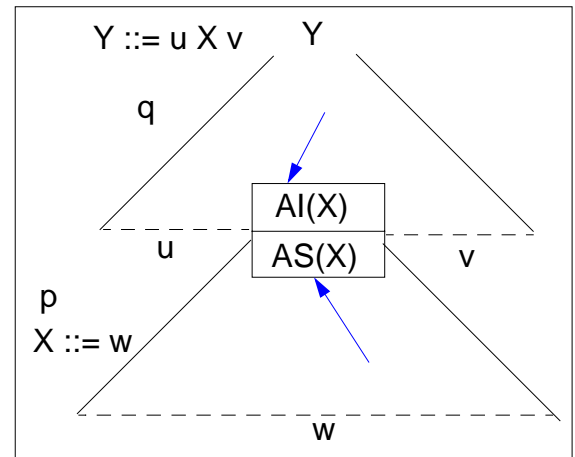
- Read and modify examples in Lido notation to introduce AGs

Definition of attribute grammars

An **attribute grammar** $AG = (G, A, C)$ is defined by

- a **context-free grammar** G (abstract syntax)
- for each **symbol** X of G a set of **attributes** $A(X)$, written $X.a$ if $a \in A(X)$
- for each **production (rule)** p of G a set of **computations** of one of the forms

$$X.a = f(\dots Y.b \dots) \quad \text{or} \quad g(\dots Y.b \dots)$$
 where X and Y occur in p



Consistency and completeness of an AG:

Each $A(X)$ is partitioned into two disjoint subsets: $AI(X)$ and $AS(X)$

$AI(X)$: **inherited attributes** are computed in rules p where X is on the **right-hand side** of p

$AS(X)$: **synthesized attributes** are computed in rules p where X is on the **left-hand side** of p

Each rule $p: Y ::= \dots X \dots$ has exactly one computation

for each attribute of $AS(Y)$, for the symbol on the left-hand side of p , and

for each attribute of $AI(X)$, for each symbol occurrence on the right-hand side of p

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Objectives:

Formal view on AGs

In the lecture:

The completeness and consistency rules are explained using the example of PLaC-4.6

AG Example: Compute expression values

The AG specifies: The value of each expression is computed and printed at the root:

```
ATTR value: int;

RULE: Root ::= Expr COMPUTE
    printf ("value is %d\n",
           Expr.value);
END;

TERM Number: int;

RULE: Expr ::= Number COMPUTE
    Expr.value = Number;
END;

RULE: Expr ::= Expr Opr Expr
COMPUTE
    Expr[1].value = Opr.value;
    Opr.left = Expr[2].value;
    Opr.right = Expr[3].value;
END;
```

```
SYMBOL Opr: left, right: int;

RULE: Opr ::= '+' COMPUTE
    Opr.value =
        ADD (Opr.left, Opr.right);
END;

RULE: Opr ::= '*' COMPUTE
    Opr.value =
        MUL (Opr.left, Opr.right);
END;
```

$A(\text{Expr}) = AS(\text{Expr}) = \{\text{value}\}$ $AS(\text{Opr}) = \{\text{value}\}$ $AI(\text{Opr}) = \{\text{left, right}\}$ $A(\text{Opr}) = \{\text{value, left, right}\}$
--

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Objectives:

Exercise formal definition

In the lecture:

- Show synthesized, inherited attributes.
- Check consistency and completeness.

Questions:

- Add a computation such that a pair of sets $AI(X)$, $AS(X)$ is no longer disjoint.
- Add a computation such that the AG is inconsistent.
- Which computations can be omitted without making the AG incomplete?
- What would the effect be if the order of the three computations on the bottom left of the slide was altered?

AG Binary numbers

Attributes: **L.v, B.v** value
 L.lg number of digits in the sequence L
 L.s, B.s scaling of B or the least significant digit of L

```

RULE p1:  D ::= L '.' L      COMPUTE
          D.v = ADD (L[1].v, L[2].v);
          L[1].s = 0;
          L[2].s = NEG (L[2].lg);
END;

RULE p2:  L ::= L B          COMPUTE
          L[1].v = ADD (L[2].v, B.v);
          B.s = L[1].s;
          L[2].s = ADD (L[1].s, 1);
          L[1].lg = ADD (L[2].lg, 1);
END;

RULE p3:  L ::= B            COMPUTE
          L.v = B.v;
          B.s = L.s;
          L.lg = 1;
END;

RULE p4:  B ::= '0'          COMPUTE
          B.v = 0;
END;

RULE p5:  B ::= '1'          COMPUTE
          B.v = Power2 (B.s);
END;

```

scaled binary value:

$$B.v = 1 * 2^{B.s}$$

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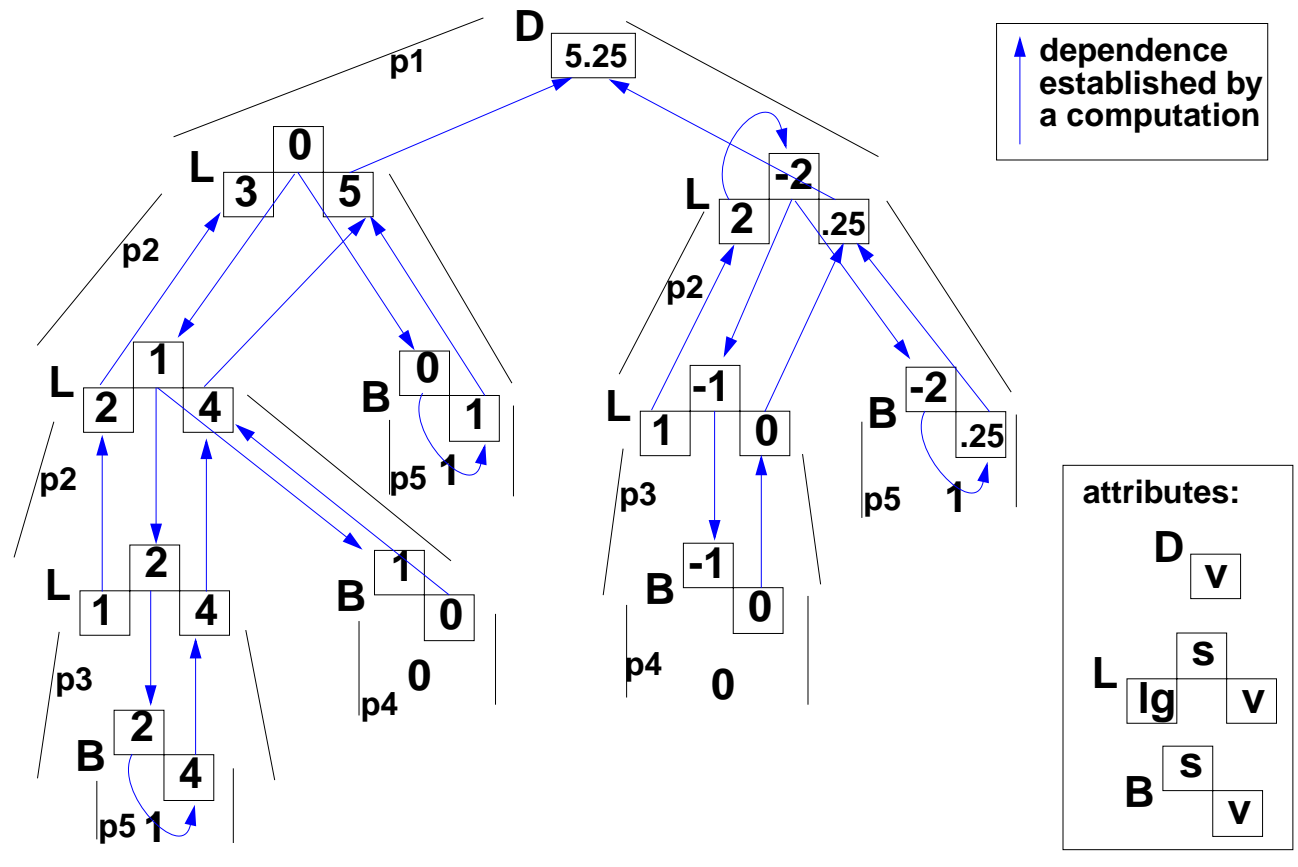
Objectives:

A complete example for an AG

In the lecture:

- Explain the task.
- Explain the role of the attributes.
- Explain the computations in tree contexts.
- Show a tree with attributes and dependencies (PLaC-4.8)

An attributed tree for AG Binary numbers



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Objectives:

An attributed tree

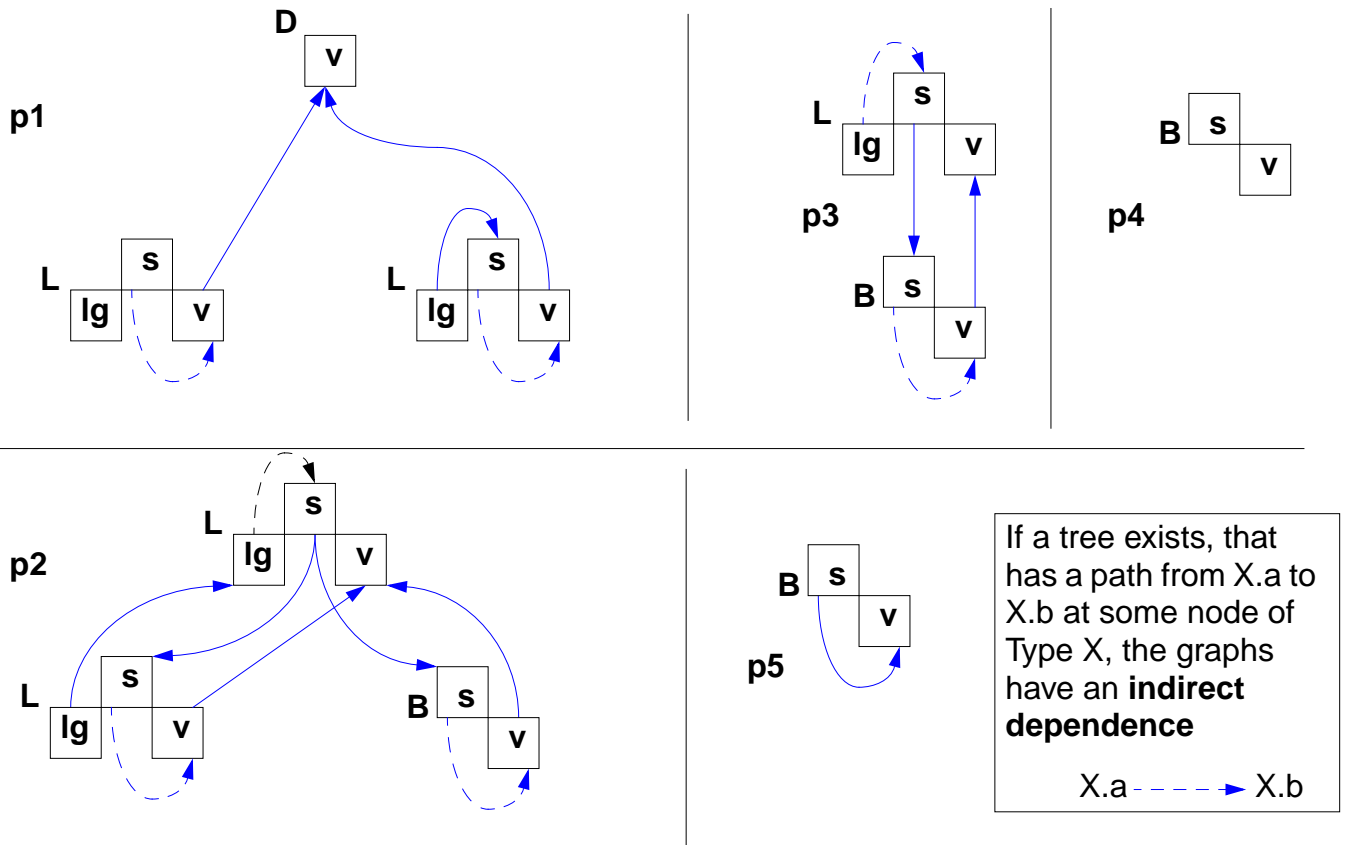
In the lecture:

- Show a tree with attributes.
- Show tree contexts specified by grammar rules.
- Relate the dependences to computations.
- Evaluate the attributes.

Questions:

- Some attributes do not have an incoming arc. Why?
- Show that the attributes of each L node can be evaluated in the order lg, s, v.

Dependence graphs for AG Binary numbers



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Objectives:

Represent dependences

In the lecture:

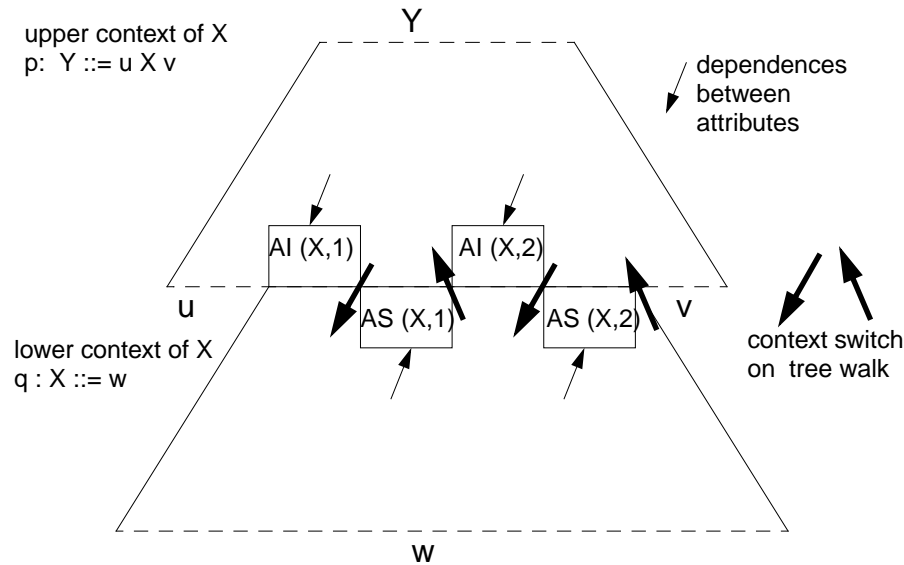
- graph representation of dependences that are specified by computations,
- compose the graphs to yield a tree with dependences,
- explain indirect dependences
- Use the graphs as an example for partitions (PLaC-4.9)
- Use the graphs as an example for LAG(k) algorithm (see a later slide)

Attribute partitions

The sets $AI(X)$ and $AS(X)$ are **partitioned** each such that

$AI(X, i)$ is computed before the i -th visit of X

$AS(X, i)$ is computed during the i -th visit of X



Necessary precondition for the existence of such a partition:

No node in any tree has direct or indirect dependences that contradict the evaluation order of the sequence of sets: $AI(X, 1), AS(X, 1), \dots, AI(X, k), AS(X, k)$

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Objectives:

Understand the concept of attribute partitions

In the lecture:

Explain the concepts

- context switch,
- attribute partitions: sequence of disjoint sets which alternate between synthesized and inherited

Suggested reading:

Kastens / Übersetzerbau, Section 5.2

Assignments:

Construct AGs that are as simple as possible and each exhibits one of the following properties:

- There are some trees that have a dependence cycle, other trees don't.
- The cycles extend over more than one context.
- There is an X that has a partition with $k=2$ but not with $k=1$.
- There is no partition, although no tree exists that has a cycle. (caution: difficult puzzle!)

(Exercise 22)

Construction of attribute evaluators

For a given attribute grammar an attribute evaluator is constructed:

- It is **applicable to any tree** that obeys the abstract syntax specified in the rules of the AG.
- It performs a **tree walk** and **executes computations** in visited contexts.
- The execution order obeys the **attribute dependences**.

Pass-oriented strategies for the tree walk: **AG class:**

k times **depth-first left-to-right**

k times depth-first right-to-left

alternatingly left-to-right / right-to left

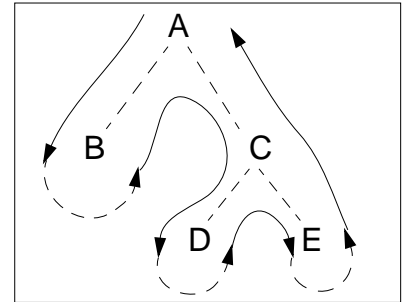
once **bottom-up (synth. attributes only)**

LAG (k)

RAG (k)

AAG (k)

SAG



AG is checked if attribute dependences

fit to desired pass-oriented strategy; see LAG(k) check.

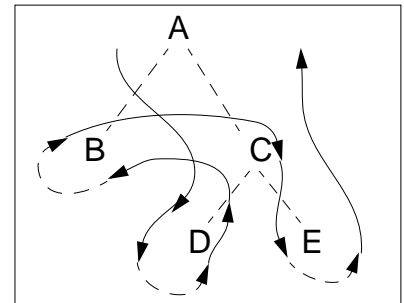
non-pass-oriented strategies:

visit-sequences:

an individual plan for each rule of the abstract syntax

OAG

A generator fits the plans to the dependences of the AG.



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Objectives:

Tree walk strategies

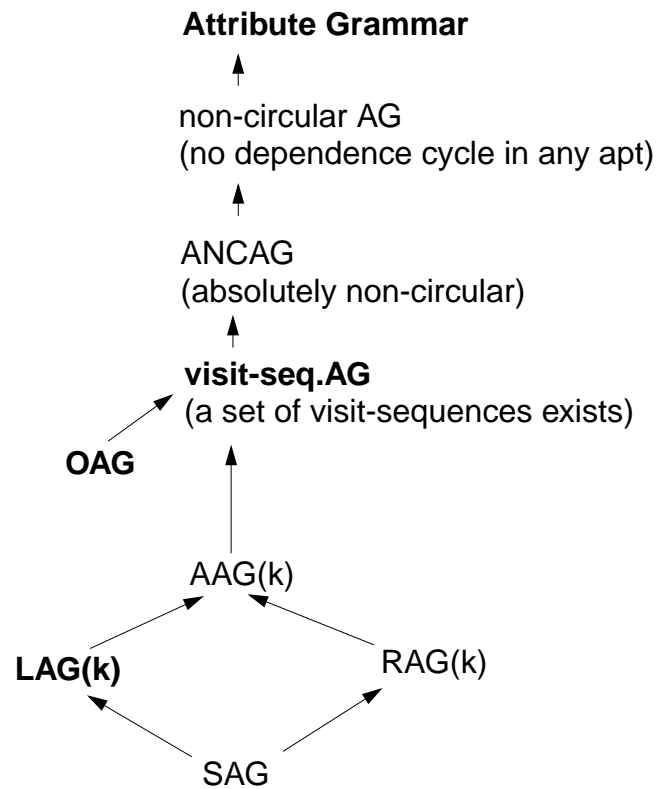
In the lecture:

- Show the relation between tree walk strategies and attribute dependences.

Suggested reading:

Kastens / Übersetzerbau, Section 5, 5.1

Hierarchy of AG classes



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Objectives:

Understand the AG hierarchy

In the lecture:

It is explained

- A grammar class is more powerful if it covers AGs with more complex dependencies.
- The relationship of AG classes in the hierarchy.

Suggested reading:

Kastens / Übersetzerbau, Section 5, 5.1

Visit-sequences

A **visit-sequence** (dt. Besuchssequenz) vs_p for each production of the tree grammar:

$$p: X_0 ::= X_1 \dots X_i \dots X_n$$

A visit-sequence is a **sequence of operations**:

$\downarrow i, j$ j -th **visit of the i -th subtree**

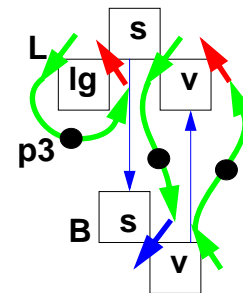
$\uparrow j$ j -th **return to the ancestor node**

$eval_c$ execution of a **computation c** associated to p

Example out of the AG for binary numbers:

$vs_{p3}: L ::= B$

$L.lg=1; \uparrow 1; B.s=L.s; \downarrow B,1; L.v=B.v; \uparrow 2$



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Objectives:

Understand the concept of visit-sequences

In the lecture:

Using the example it is explained:

- operations,
- context switch,
- sequence with respect to a context

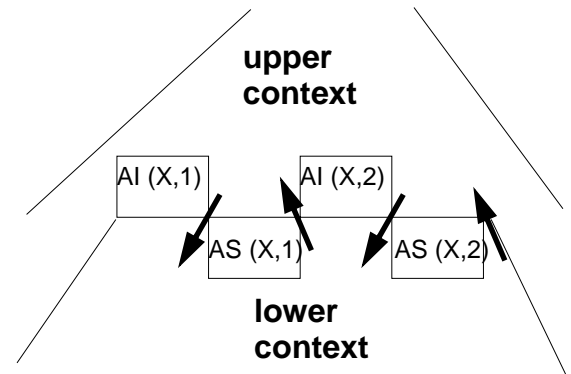
Suggested reading:

Kastens / Übersetzerbau, Section 5.2.2

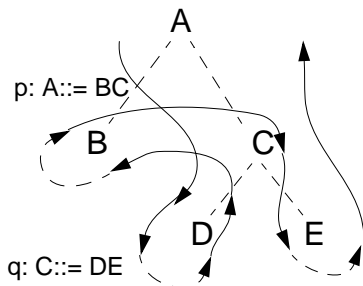
Interleaving of visit-sequences

Visit-sequences for adjacent contexts are executed interleaved.

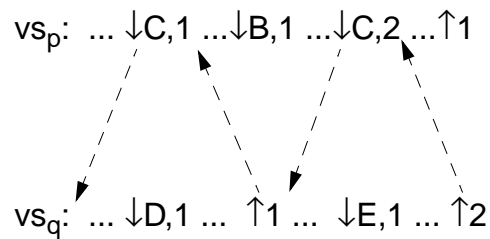
The **attribute partition** of the common nonterminal specifies the **interface** between the upper and lower visit-sequence:



Example in the tree:



interleaved visit-sequences:



Implementation: one procedure for each section of a visit-sequence upto \uparrow
a call with a switch over applicable productions for \downarrow

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Objectives:

Understand interleaved visit-sequences

In the lecture:

Explain

- interleaving of visit-sequences for adjacent contexts,
- partitions are "interfaces" for context switches,
- implementation using procedures and calls

Suggested reading:

Kastens / Übersetzerbau, Section 5.2.2

Assignments:

- Construct a set of visit-sequences for a small tree grammar, such that the tree walk solves a certain task.
- Find the description of the design pattern "Visitor" and relate it to visit-sequences.

Questions:

- Describe visit-sequences which let trees being traversed twice depth-first left-to-right.

Visit-sequences for the AG Binary numbers

$vs_{p1}: D ::= L \text{ '}' L$

$\downarrow L[1],1; L[1].s=0; \downarrow L[1],2; \downarrow L[2],1; L[2].s=NEG(L[2].lg);$

$\downarrow L[2],2; D.v=ADD(L[1].v, L[2].v); \uparrow 1$

$vs_{p2}: L ::= L B$

$\downarrow L[2],1; L[1].lg=ADD(L[2].lg,1); \uparrow 1$

$L[2].s=ADD(L[1].s,1); \downarrow L[2],2; B.s=L[1].s; \downarrow B,1; L[1].v=ADD(L[2].v, B.v); \uparrow 2$

$vs_{p3}: L ::= B$

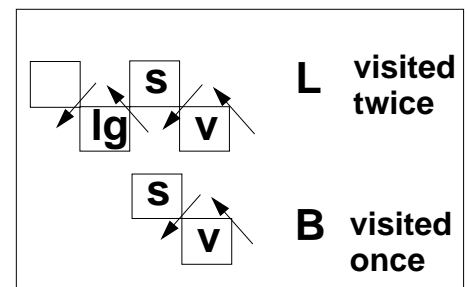
$L.lg=1; \uparrow 1; B.s=L.s; \downarrow B,1; L.v=B.v; \uparrow 2$

$vs_{p4}: B ::= '0'$

$B.v=0; \uparrow 1$

$vs_{p5}: B ::= '1'$

$B.v=Power2(B.s); \uparrow 1$



Implementation:

Procedure $vs_{<i><p>$ for each section of a vs_p to a $\uparrow i$
 a call with a switch over alternative rules for $\downarrow X,i$

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Objectives:

Example for visit-sequences used in PLaC-4.13

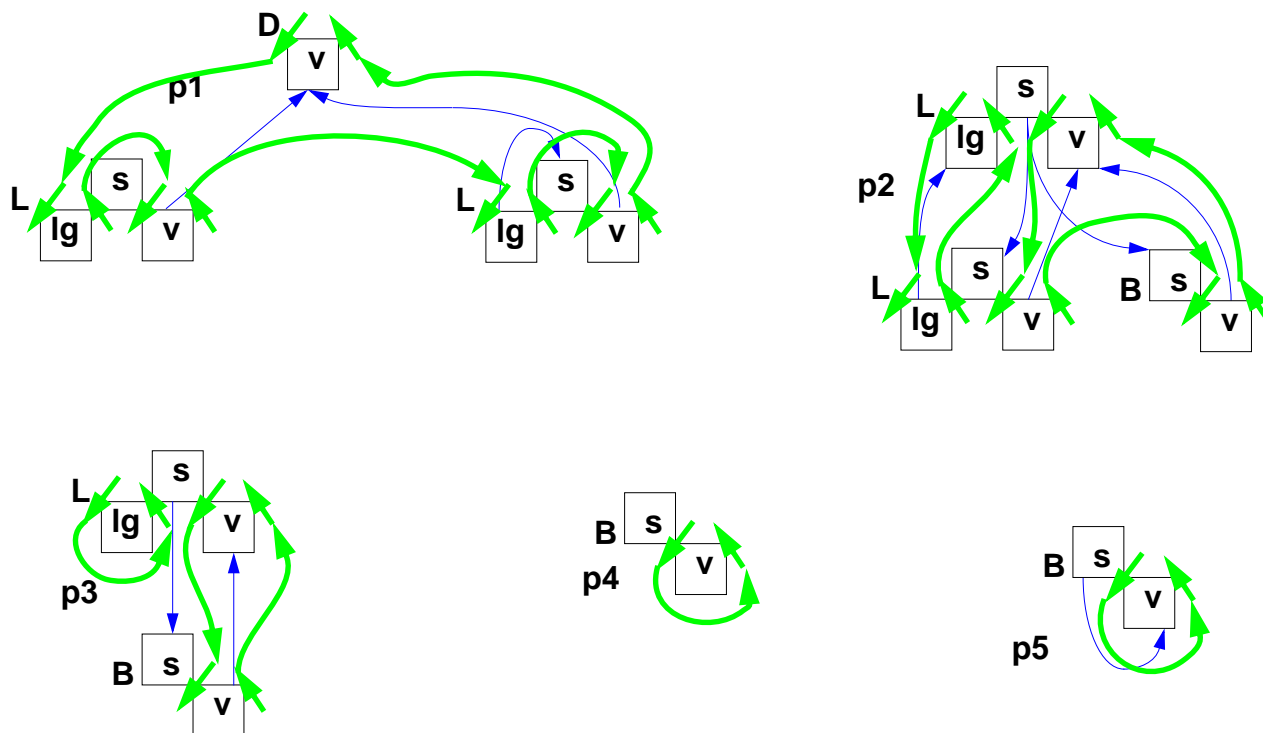
In the lecture:

- Show interfaces and interleaving.
- show tree walk (PLaC-4.15),
- show sections for implementation.

Questions:

- Check that adjacent visit-sequences interleave correctly.
- Check that all dependencies between computations are obeyed.
- Write procedures that implement these visit-sequences.

Visit-Sequences for AG Binary numbers (tree patterns)



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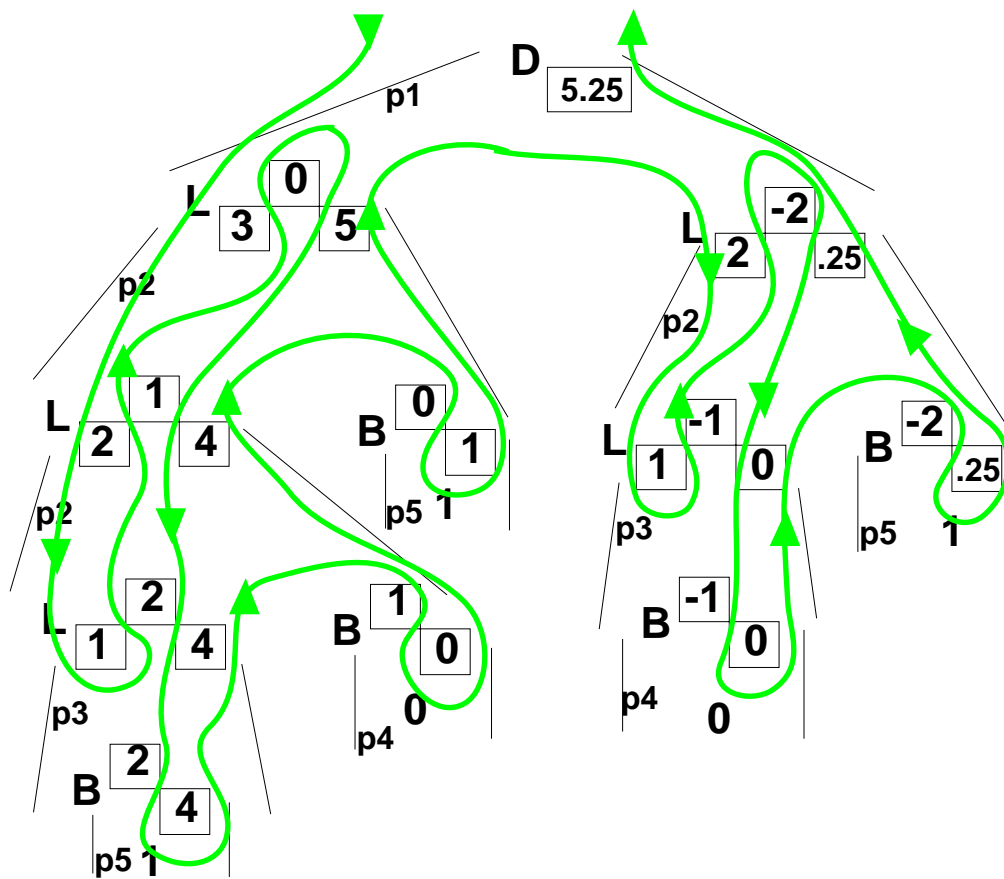
Objectives:

Example for visit-sequences used in PLaC-4.13

In the lecture:

- Create a tree walk by pasting instances of visit-sequences together

Tree walk for AG Binary numbers



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Objectives:

See a concrete tree walk

In the lecture:

Show that the visit-sequences of PLaC-4.15 produce this tree walk for the tree of PLaC-4.8.

LAG (k) condition

An AG is a LAG(k), if:

For each symbol X there is an **attribute partition** $A(X,1), \dots, A(X,k)$, such that the attributes in $A(X,i)$ can be computed in the i -th **depth-first left-to-right pass**.

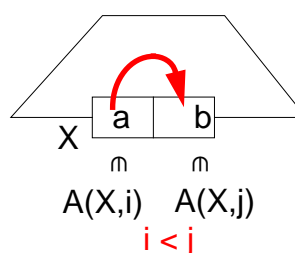
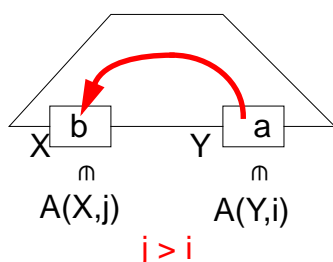
Crucial dependences:

In every dependence graph every dependence

- **$Y.a \rightarrow X.b$** where X and Y occur on the **right-hand side** and Y is **right of X** implies that **$Y.a$ belongs to an earlier pass than $X.b$** , and
- **$X.a \rightarrow X.b$** where X occurs on the **right-hand side** implies that **$X.a$ belongs to an earlier pass than $X.b$**

Necessary and sufficient condition over dependence graphs - expressed graphically:

A dependency
from right to left



A dependence
at one symbol
on the right-hand
side

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Objectives:

Understand the LAG condition

In the lecture:

- Explain the LAG(k) condition,
- motivate it by depth-first left-to-right tree walks.

Suggested reading:

Kastens / Übersetzerbau, Section 5.2.3

LAG (k) algorithm

Algorithm checks whether there is a $k \geq 1$ such that an AG is LAG(k).

Method:

compute iteratively $A(1), \dots, A(k)$;
 in each iteration try to allocate all remaining attributes to the current pass, i.e. $A(i)$;
 remove those which can not be evaluated in that pass

Algorithm:

Set $i=1$ and $Cand =$ all attributes

repeat

set $A(i) = Cand$; set $Cand$ to empty;

while still attributes can be removed from $A(i)$ do

remove an attribute $x.b$ from $A(i)$ and add it to $Cand$ if

- there is a **crucial dependence**

$Y.a \rightarrow X.b$ s.t.

X and Y are on the right-hand side, Y to the right of X and $Y.a$ in $A(i)$ or

$X.a \rightarrow X.b$ s.t. X is on the right-hand side and $X.a$ is in $A(i)$

- $X.b$ depends on an attribute that is not yet in any $A(i)$

if $Cand$ is empty:

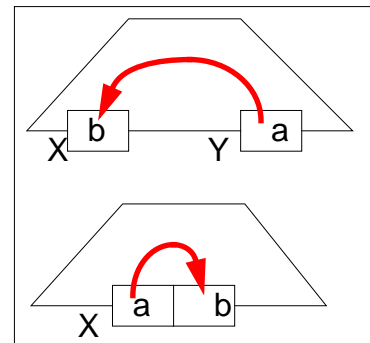
exit: the AG is LAG(k) and all attributes are assigned to their passes

if $A(i)$ is empty:

exit: the AG is not LAG(k) for any k

else:

set $i = i + 1$



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Objectives:

Understand the LAG(k) check

In the lecture:

- explain the algorithm using the example of PLaC-4.10.

Suggested reading:

Kastens / Übersetzerbau, Section 5.2.3

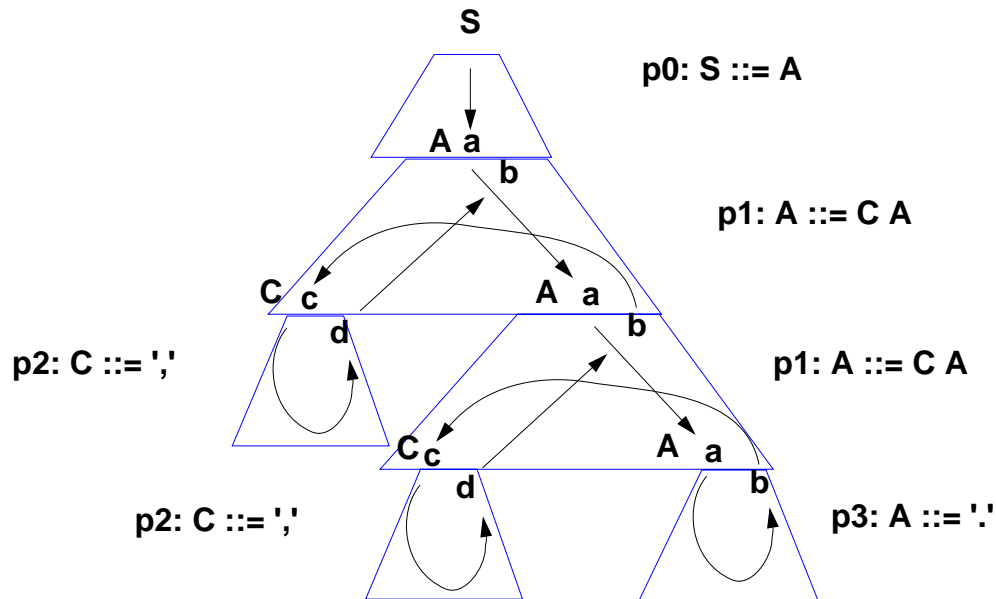
Assignments:

- Check LAG(k) condition for AGs ([Exercise 20](#))

Questions:

- At the end of each iteration of the i-loop one of three conditions hold. Explain them.

AG not LAG(k) for any k



$A.a$ can be allocated to the first left-to-right pass.
 $C.c$, $C.d$, $A.b$ can not be allocated to any pass.

The AG is RAG(1), AAG(2) and
 can be evaluated by visit-sequences.

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Objectives:

Understand a non-LAG pattern

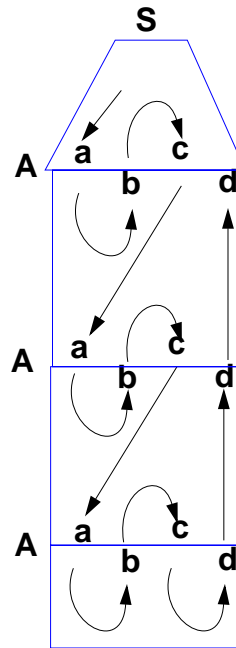
In the lecture:

- Explain the tree,
- derive the AG,
- try the LAG(k) algorithm.

AG not evaluable in passes

No attribute can be allocated to any pass for any strategy.

The AG can be evaluated by visit-sequences.



p0: S ::= A

p1: A ::= ',' A

p1: A ::= ',' A

p2: A ::= '!'

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Objectives:

Understand a non-pass pattern

In the lecture:

- Explain the tree,
- derive the AG,
- try the LAG(k) algorithm.

Generators for attribute grammars

LIGA	University of Paderborn	OAG
FNC-2	INRIA	ANCAG (superset of OAG)
CoCo	Universität Linz	LAG(k)

Properties of the generator LIGA

- integrated **in the Eli system**, cooperates with other Eli tools
- **high level specification language** Lido
- modular and **reusable AG components**
- object-oriented constructs usable for **abstraction of computational patterns**
- computations are **calls of functions** implemented outside the AG
- **side-effect computations** can be controlled by dependencies
- notations for **remote attribute access**
- **visit-sequence** controlled attribute evaluators, implemented in C
- **attribute storage optimization**

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Objectives:

See what generators can do

In the lecture:

- Explain the generators
- Explain properties of LIGA

Suggested reading:

Kastens / Übersetzerbau, Section 5.4

Explicit left-to-right depth-first propagation

```

ATTR pre, post: int;
RULE: Root ::= Block COMPUTE
  Block.pre = 0;
END;
RULE: Block ::= '{' Constructs '}' COMPUTE
  Constructs.pre = Block.pre;
  Block.post = Constructs.post;
END;
RULE: Constructs ::= Constructs Construct COMPUTE
  Constructs[2].pre = Constructs[1].pre;
  Construct.pre = Constructs[2].post;
  Constructs[1].post = Construct.post;
END;
RULE: Constructs ::= COMPUTE
  Constructs.post = Constructs.pre;
END;
RULE: Construct ::= Definition COMPUTE
  Definition.pre = Construct.pre;
  Construct.post = Definition.post;
END;
RULE: Construct ::= Statement COMPUTE
  Statement.pre = Construct.pre;
  Construct.post = Statement.post;
END;
RULE: Definition ::= 'define' Ident ';' COMPUTE
  Definition.printed =
    printf ("Def %d defines %s in line %d\n",
      Definition.pre, StringTable (Ident), LINE);
  Definition.post =
    ADD (Definition.pre, 1) <- Definition.printed;
END;
RULE: Statement ::= 'use' Ident ';' COMPUTE
  Statement.post = Statement.pre;
END;
RULE: Statement ::= Block COMPUTE
  Block.pre = Statement.pre;
  Statement.post = Block.post;
END;

```

Definitions are enumerated and printed from left to right.

The next definition number is propagated by a pair of attributes at each node:

pre (inherited)
post (synthesized)

The value is initialized in the **Root context** and

incremented in the **Definition context**.

The computations for propagation are systematic and redundant.

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Objectives:

Understand left-to-right propagation

In the lecture:

Explain

- systematic use of attribute pairs for propagation,
- strict dependences of computations on the "propagation chain".

Questions:

How would the output look like if we had omitted the state attributes and their dependencies?

Left-to-right depth-first propagation using a CHAIN

```
CHAIN count: int;

RULE: Root ::= Block COMPUTE
  CHAINSTART Block.count = 0;
END;

RULE: Definition ::= 'define' Ident ';'
COMPUTE
  Definition.print =
    printf ("Def %d defines %s in line %d\n",
           Definition.count, /* incoming */
           StringTable (Ident), LINE);

  Definition.count = /* outgoing */
    ADD (Definition.count, 1)
    <- Definition.print;
END;
```

A **CHAIN** specifies a **left-to-right depth-first** dependency through a subtree.

One **CHAIN name**; **attribute pairs** are generated where needed.

CHAINSTART initializes the CHAIN in the root context of the CHAIN.

Computations on the **CHAIN** are **strictly bound** by dependences.

Trivial computations of the form **X.pre = Y.pre** in CHAIN order can be **omitted**. They are **generated where needed**.

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Objectives:

Understand LIDO's CHAIN constructs

In the lecture:

- Explain the CHAIN constructs.
- Compare the example with PLaC-4.19.

Dependency pattern INCLUDING

```

ATTR depth: int;
RULE: Root ::= Block COMPUTE
    Block.depth = 0;
END;
RULE: Statement ::= Block COMPUTE
    Block.depth =
        ADD (INCLUDING Block.depth, 1);
END;
RULE: Definition ::= 'define' Ident COMPUTE
    printf ("%s defined on depth %d\n",
            StringTable (Ident),
            INCLUDING Block.depth);
END;

```

INCLUDING Block.depth

accesses the `depth` attribute of the next upper node of type `Block`.

The nesting depths of `Blocks` are computed.

An **attribute** at the root of a subtree is **accessed from within the subtree**.

Propagation from computation to the uses are generated as needed.

No explicit computations or attributes are needed for the remaining rules and symbols.

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Objectives:

Understand the LIDO construct INCLUDING

In the lecture:

Explain the use of the INCLUDING construct.

Dependency pattern CONSTITUENTS

```

RULE: Root ::= Block COMPUTE
  Root.DefDone =
    CONSTITUENTS Definition.DefDone;
END;

RULE: Definition ::= 'define' Ident ';'
COMPUTE
  Definition.DefDone =
    printf ("%s defined in line %d\n",
            StringTable (Ident), LINE);
END;

RULE: Statement ::= 'use' Ident ';' COMPUTE
  printf ("%s used in line %d\n",
          StringTable (Ident), LINE)
  <- INCLUDING Root.DefDone;
END;

```

CONSTITUENTS Definition.DefDone accesses the DefDone attributes of all Definition nodes in the subtree below this context

A **CONSTITUENTS** computation **accesses attributes from the subtree below** its context.

Propagation from computation to the CONSTITUENTS construct is generated where needed.

The shown **combination with INCLUDING** is a common dependency pattern.

All printf calls in Definition contexts are done before any in a statement context.

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Objectives:

Understand the LIDO construct CONSTITUENTS

In the lecture:

Explain the use of the CONSTITUENTS construct.