

Programming Languages and Compilers

Attribute Grammars and Semantic Analysis

Dr. Peter Pfahler
Based on the lecture by Prof. Dr. Uwe Kastens

Universität Paderborn
Fakultät EIM
Institut für Informatik

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Input: Abstract Syntax Tree (AST)

Tasks	Compiler Module
Name Analysis	Attribute Evaluator, Environment Module
Determine Properties of Program Entities	Attribute Evaluator, Definition Module
Type Analysis, Operator Identification	Attribute Evaluator, Signature Module
Detect and report errors	Semantic Error Handling

Output: Attributed Abstract Syntax Tree

Semantic Analysis is performed guided by the contexts of the AST:

Computation Model: Dependent Computations in Trees

Specification: *Attribute Grammar*

Generator: *Attribute Evaluator Generator* generates a treewalking algorithm that calls functions of semantic modules in admissible order in the specified tree contexts.

The section *Attribute Grammars and Semantic Analysis* will be structured as follows:

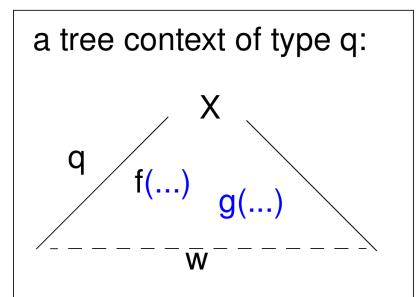
- ① Attribute Grammars
 - Definition
 - Constructing Attribute Evaluators
 - Generators for Attribute Evaluators
 - Advanced Attribute Grammar Features in LIGA
- ② Name Analysis
 - Fundamental Concepts
 - Environment Module
 - Name Analysis using Attribute Grammars
- ③ Type Analysis
 - Fundamental Concepts
 - Definition Module
 - Type Analysis using Attribute Grammars
- ④ Semantic Error Handling

Basic Concepts of Attribute Grammars (1)

An AG specifies **computations in trees** expressed by **computations associated to productions** of the abstract syntax

```
RULE q: X ::= w COMPUTE
    f(...); g(...);
END;
```

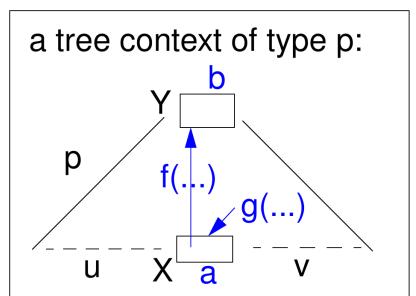
computations $f(\dots)$ and $g(\dots)$ are executed in every tree context of type q



An AG specifies **dependences between computations**: expressed by **attributes associated to grammar symbols**

```
RULE p: Y ::= u X v COMPUTE
    Y.b = f(X.a);
    X.a = g(...);
END;
```

Attributes represent: **properties of symbols** and **pre- and post-conditions of computations**:
post-condition = $f(\dots)$ (pre-condition)
 $f(X.a)$ uses the result of $g(\dots)$; hence
 $X.a = g(\dots)$ is specified to be executed before $f(X.a)$



Basic Concepts of Attribute Grammars (2)

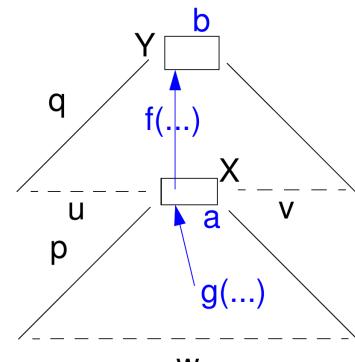
dependent computations in adjacent contexts:

```

RULE q: Y ::= u X v COMPUTE
    Y.b = f(X.a);
END;
RULE p: X ::= w COMPUTE
    X.a = g(...);
END;

```

adjacent contexts
of types q and p:



attributes may specify
dependences without propagating any value;
specifies the order of effects of computations:

```

X.GotType = ResetTypeOf(...);
Y.Type = GetTypeOf(...) <- X.GotType;
ResetTypeOf will be called before GetTypeOf

```

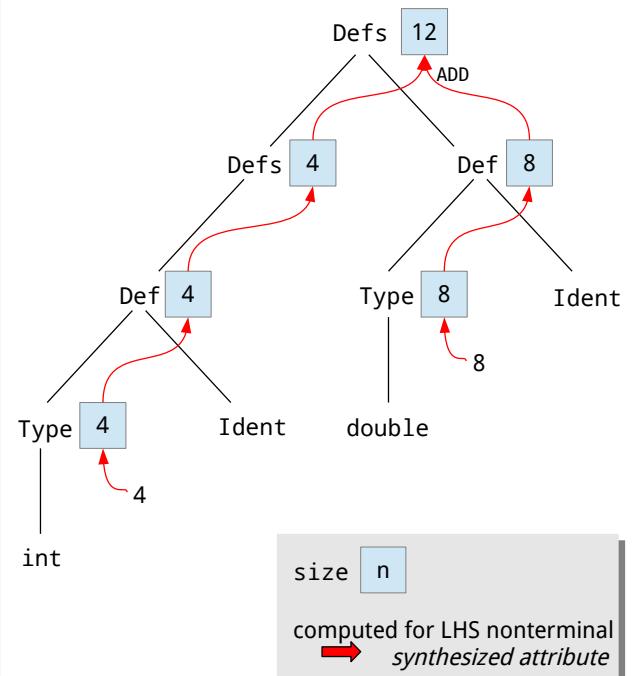
Attribute Grammar Example (1)

Compute the size of variables

```

ATTR size: int;
RULE: Defs ::= Defs Def COMPUTE
    Defs[1].size = ADD(Defs[2].size,
                        Def.size);
END;
RULE: Defs ::= Def COMPUTE
    Defs.size = Def.size;
END;
RULE: Def ::= Type Ident COMPUTE
    Def.size = Type.size;
END;
RULE: Type ::= 'int' COMPUTE
    Type.size = 4;
END;
RULE: Type ::= 'double' COMPUTE
    Type.size = 8;
END;

```



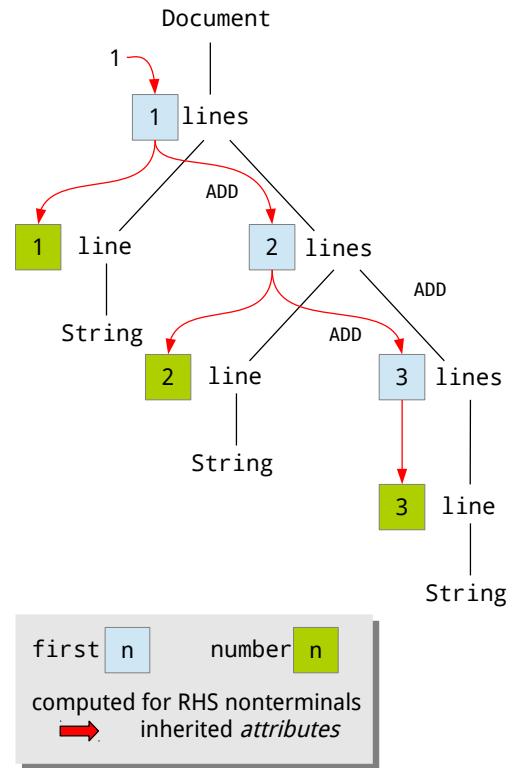
Attribute Grammar Example (2)

Compute line numbers

```

ATTR first, number: int;
RULE: Document ::= lines COMPUTE
    lines.first = 1;
END;
RULE: lines ::= line COMPUTE
    line.number = lines.first;
END;
RULE: lines ::= line lines COMPUTE
    line.number = lines[1].first;
    lines[2].first = ADD(lines[1].first,
                          1);
END;
RULE: line ::= String COMPUTE
    printf("%d: %s", line.number,
           StringTable(String));
END;

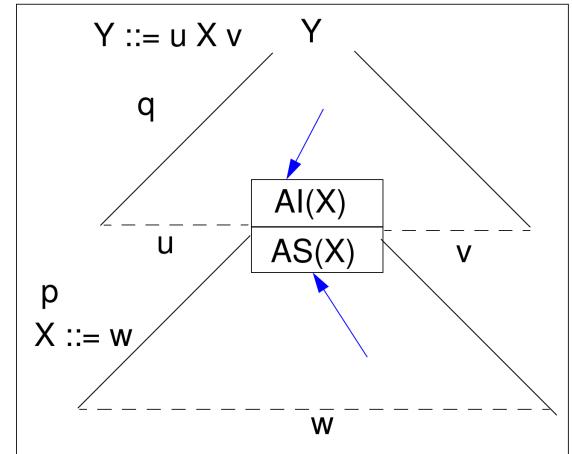
```



Definition of Attribute Grammars

An **attribute grammar** AG = (G, A, C) is defined by

- a **context-free grammar** G (abstract syntax)
- for each **symbol X** of G a set of **attributes A(X)**, written X.a if a ∈ A(X)
- for each **production (rule) p** of G a set of **computations** of one of the forms
 $X.a = f(\dots Y.b \dots)$ or $g(\dots Y.b \dots)$
 where X and Y occur in p



Consistency and completeness of an AG:

Each A(X) is partitioned into two disjoint subsets: AI(X) and AS(X)

AI(X): **inherited attributes** are computed in rules p where X is on the **right-hand side** of p

AS(X): **synthesized attributes** are computed in rules p where X is on the **left-hand side** of p

Each rule p: Y ::= ... X ... has exactly one computation

for each attribute of AS(Y), for the symbol on the left-hand side of p, and
 for each attribute of AI(X), for each symbol occurrence on the right-hand side of p

AG Example: Compute Expression Values

The AG specifies: The value of each expression is computed and printed at the root:

```

ATTR value: int;

RULE: Root ::= Expr COMPUTE
    printf ("value is %d\n",
           Expr.value);
END;

TERM Number: int;

RULE: Expr ::= Number COMPUTE
    Expr.value = Number;
END;

RULE: Expr ::= Expr Opr Expr
COMPUTE
    Expr[1].value = Opr.value;
    Opr.left = Expr[2].value;
    Opr.right = Expr[3].value;
END;

```

SYMBOL Opr: left, right: int;
RULE: Opr ::= '+' COMPUTE
 Opr.value = ADD (Opr.left, Opr.right);
RULE: Opr ::= '*' COMPUTE
 Opr.value = MUL (Opr.left, Opr.right);
END;

A (Expr) = AS(Expr) = {value}
 AS(Opr) = {value}
 AI(Opr) = {left, right}
 A(Opr) = {value, left, right}

AG Example: Binary Numbers

Attributes:

L.v, B.v	value
L.lg	number of digits in the sequence L
L.s, B.s	scaling of B or the least significant digit of L

```

RULE p1: D ::= L '.' L COMPUTE
    D.v = ADD (L[1].v, L[2].v);
    L[1].s = 0;
    L[2].s = NEG (L[2].lg);
END;
RULE p2: L ::= L B COMPUTE
    L[1].v = ADD (L[2].v, B.v);
    B.s = L[1].s;
    L[2].s = ADD (L[1].s, 1);
    L[1].lg = ADD (L[2].lg, 1);
END;
RULE p3: L ::= B COMPUTE
    L.v = B.v;
    B.s = L.s;
    L.lg = 1;
END;
RULE p4: B ::= '0' COMPUTE
    B.v = 0;
END;
RULE p5: B ::= '1' COMPUTE
    B.v = Power2 (B.s);
END;

```

scaled binary value:

$$B.v = 1 * 2^{B.s}$$

An Attributed Tree for AG "Binary Numbers"

